Forklift: Fitting Zygote Trees for Faster Package Initialization

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Index

1. Introduction
2. GitHub PyPI Dependency Study
3. Forklift Zygote Trees
4. Forklift Evaluation

1. Introduction

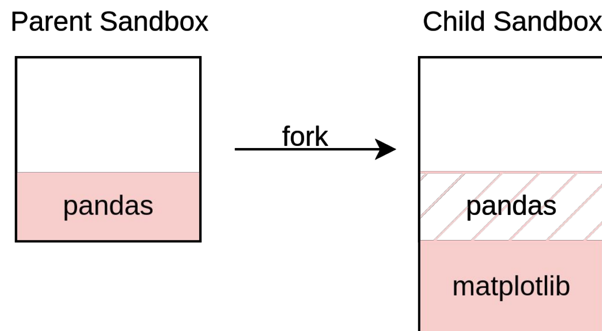
Reducing Serverless Startup Latency through Hierarchical Zygote Trees

Introduction

Approaches towards reducing the startup latency:

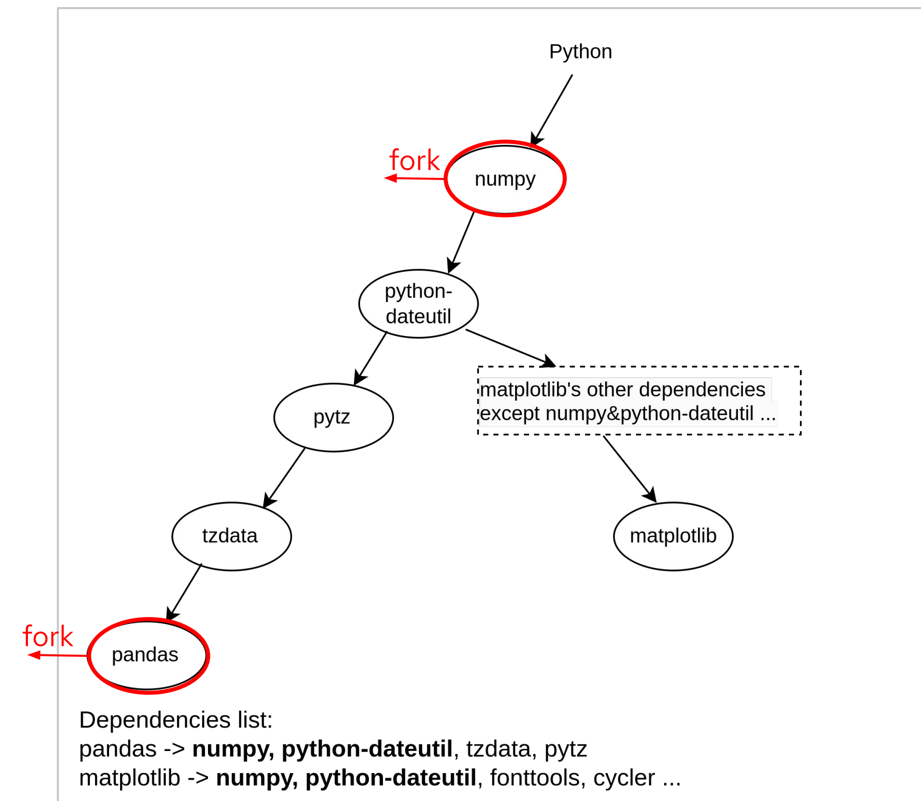
1. Lightweight sandboxes: containers, VM, unikernels

2. Initializing processes inside the sandboxes:
sock zygote initialization[1]



1. https://www.usenix.org/system/files/conference/atc18/atc18-oakes.pdf

Go one step further:
organize zygotes in hierarchical tree structure
(known as Hierarchical Zygotes)

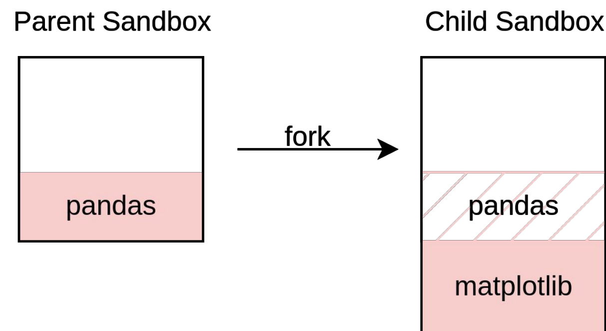


Introduction

Approaches towards reducing the startup latency

1. Lightweight sandboxes: containers, VM, unikernels

2. Initializing processes inside the sandboxes: sock zygote initialization[1]



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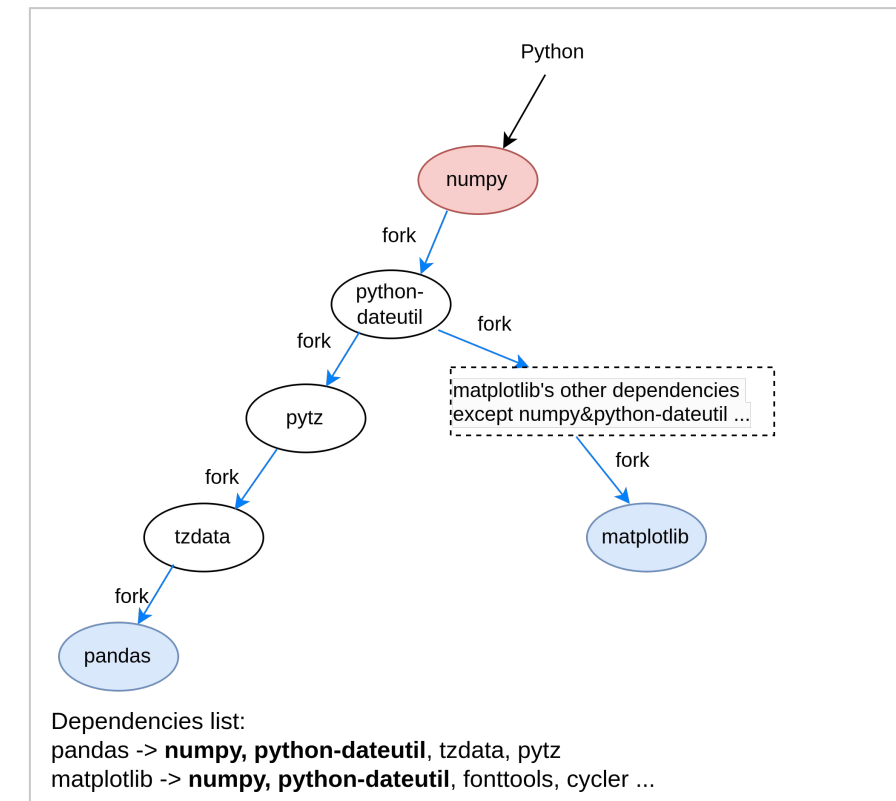


2. GitHub PyPI[2] Dependency Study

> Background
> Requirement Counts
> Popularity Distribution

3. Pronounced "pie pee eye".

Background

A requirements.txt example:

```
numpy
pandas
```

pip install -r requirements.txt installs *numpy, pandas* and their dependencies recursively.

We extracted 9,678 unique requirements.txt files from the BigQuery public dataset[3] and analyzed.

BigQuery

3. https://console.cloud.google.com/marketplace/product/github/github-repos

Requirement Counts

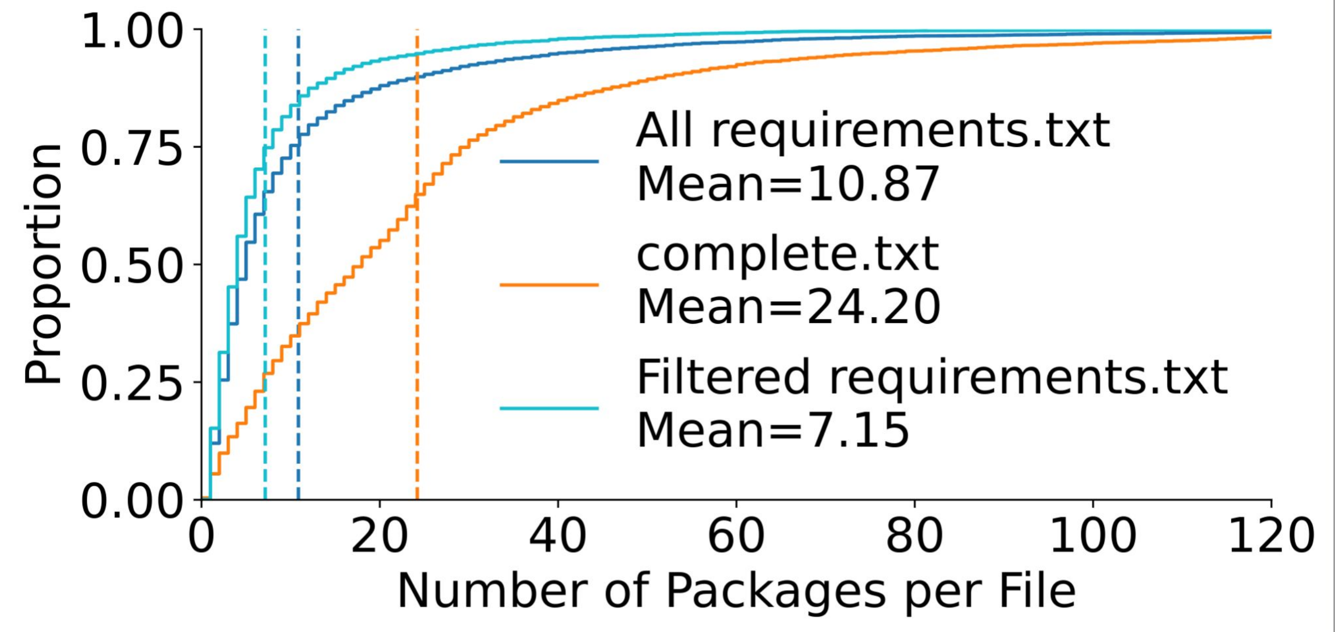
> Direct dependencies: packages that are explicitly listed in requirements.txt.

> Indirect dependencies: packages that are not directly required by the project but required by direct dependencies.

we try to pip-compile each requirements.txt to get complete.txt, which contains:

a) indirect dependencies

b) precise package versions



Background: pip-compile

requirements.txt example:

numpy

pandas

"pip-compile *requirements.txt* -o *complete.txt*"

complete.txt example:

numpy==2.1.3

 # via

 # -r requirements.txt

 # pandas

pandas==2.2.3

 # via -r requirements.txt

python-dateutil==2.9.0.post0

 # via pandas

pytz==2024.2

 # via pandas

six==1.16.0

 # via python-dateutil

tzdata==2024.2

 # via pandas

Background: pip-compile

requirements.txt example:

```
numpy
pandas
```

"pip-compile *requirements.txt* -o *complete.txt*"

requirements.txt contains only *direct* dependencies,
complete.txt contains *direct+indirect* dependencies

complete.txt example:

```
numpy==2.1.3
    # via
    #   -r requirements.txt
    #   pandas
pandas==2.2.3
    # via -r requirements.txt
python-dateutil==2.9.0.post0
    # via pandas
pytz==2024.2
    # via pandas
six==1.16.0
    # via python-dateutil
tzdata==2024.2
    # via pandas
```

indirect dependencies

pandas depend on *six*

Background: pip-compile

requirements.txt example:

```
numpy
pandas
```

"pip-compile *requirements.txt* -o *complete.txt*"

complete.txt example:

precise package versions

```
numpy==2.1.3
    # via
    #   -r requirements.txt
    #   pandas
pandas==2.2.3
    # via -r requirements.txt
python-dateutil==2.9.0.post0
    # via pandas
pytz==2024.2
    # via pandas
six==1.16.0
    # via python-dateutil
tzdata==2024.2
    # via pandas
```

Requirement Counts

> Direct dependencies: packages that are explicitly listed in requirements.txt.

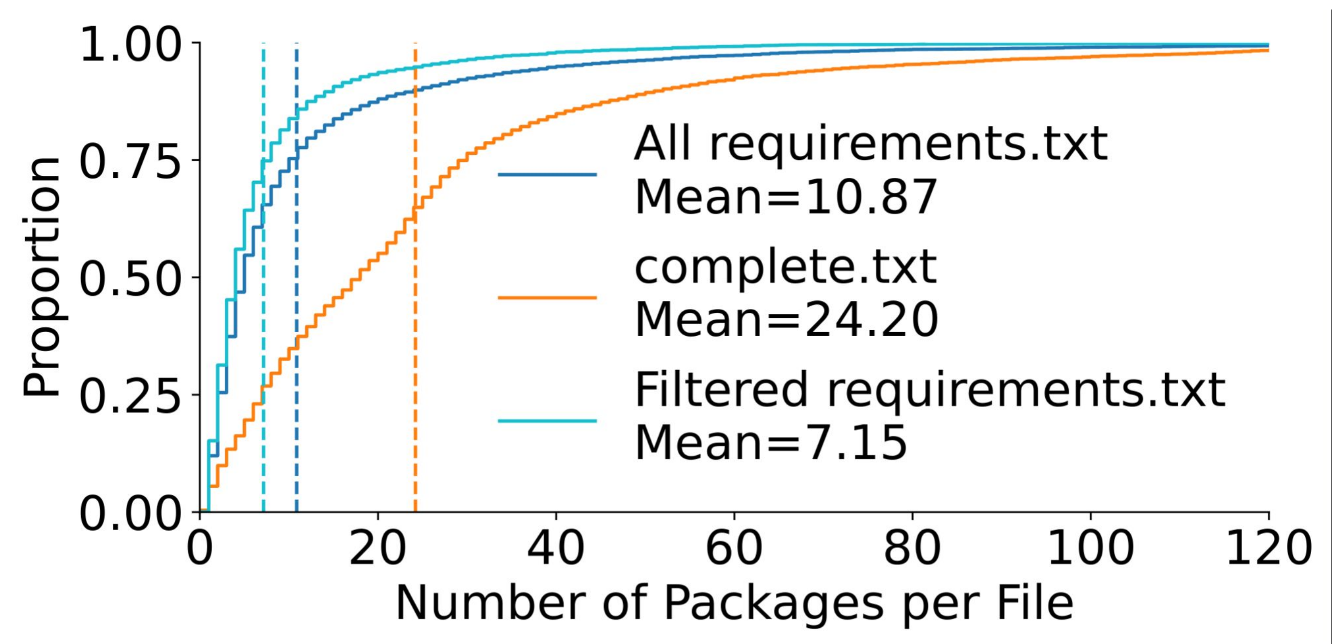
> Indirect dependencies: packages that are not directly required by the project but required by direct dependencies.

we try to pip-compile each requirements.txt to get complete.txt, which contains:

a) indirect dependencies

b) precise package versions

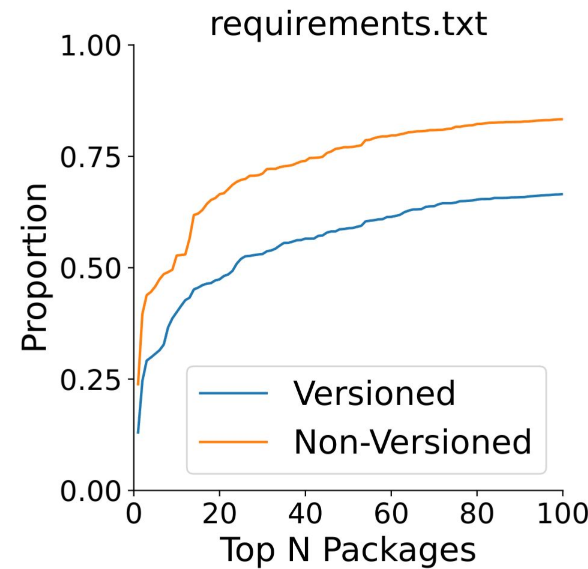
Implication: Most package requirements are indirect, package initialization may be costlier than expected

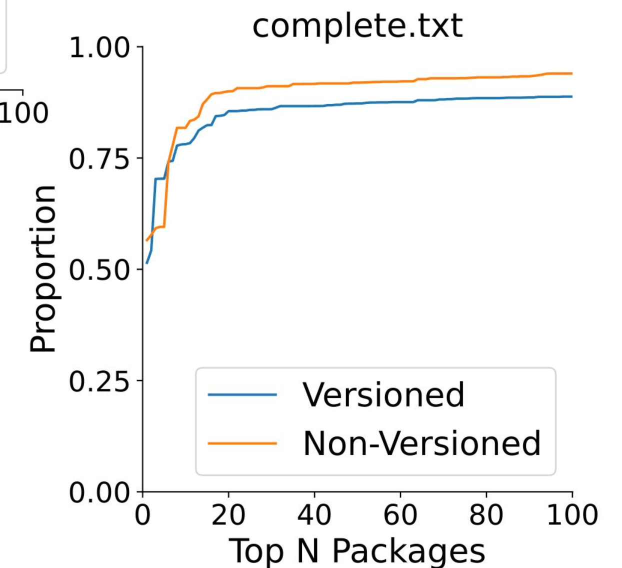


Note: 1) requirements.txt contains only *direct* dependencies, complete.txt contains *direct+indirect* dependencies
2) filtered requirements.txt: the files on which pip-compile ran successfully

Popularity Distribution

We count how many requirements.txt/complete.txt files specify at least one of *Top N* (with or without version) packages.





Implications: package usage is highly skewed, relatively few zygotes could provide substantial benefit on cold startup.

3. Forklift Zygote Trees

> Forklift: Zygote Trees Construction Algorithm
    Basic idea
    Example
    Optimizations
> Deploy the Zygote Tree in OpenLambda

Forklift: Basic Idea

Construct a tree based on historical call data.
Commonly used packages added to the tree first.
Adding nodes gradually until #nodes reaches the limit.

Restriction

Before a package can be imported in a node, all of its dependencies should be imported in the node's ancestors.

Define the Forklift Algorithm: Input/Output

input: a binary call matrix:

	A_1	B_1	B_2	C_1	D_1
$fn1$	1	1	0	1	0
$fn2$	1	0	1	1	1
$fn3$	1	1	0	1	1
$fn4$	0	1	0	1	0

Define the Forklift Algorithm: Input/Output

input: a binary call matrix:

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dependencies:

$$D_1 \rightarrow A_1$$

$$C_1 \rightarrow B_1$$

$$or\ C_1 \rightarrow B_2$$

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size limit: <=6

Define the Forklift Algorithm: Input/Output

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dependencies:

$$D_1 \rightarrow A_1$$

$$C_1 \rightarrow B_1$$

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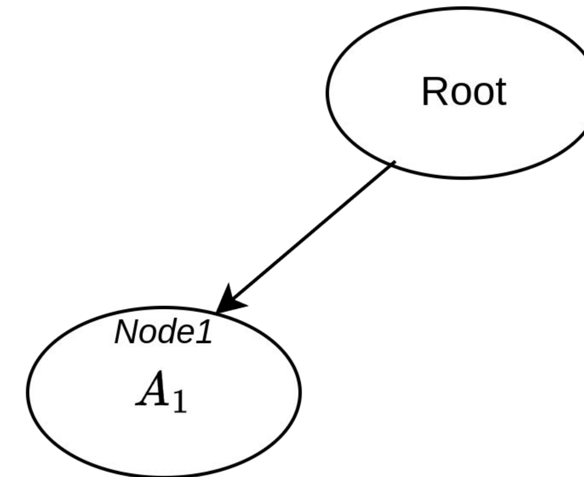
size limit: <=6

output: A hierarchical tree, the path from the root to a node represents the packages imported by this node.
Requests for these packages can be initiated from this node.

e.g.,

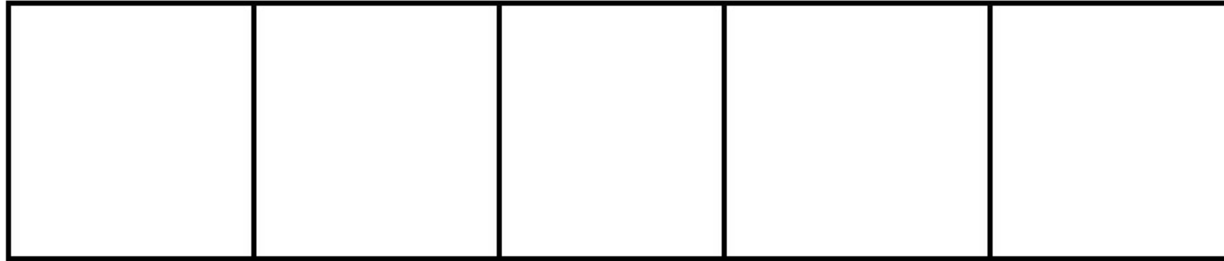


requests for fn_1, fn_2, fn_3 can be initialized frorm *Node1*

Each node only import one package for simplicity.

Forklift Example: bootstrap the construction

CandidateQ:
A priority Queue



$utility(P) = \sum(column(P))$

enqueue the highest utility packages at Root to candidateQ

dependencies:

$D_1 \rightarrow A_1$

$C_1 \rightarrow B_1$

$or\ C_1 \rightarrow B_2$

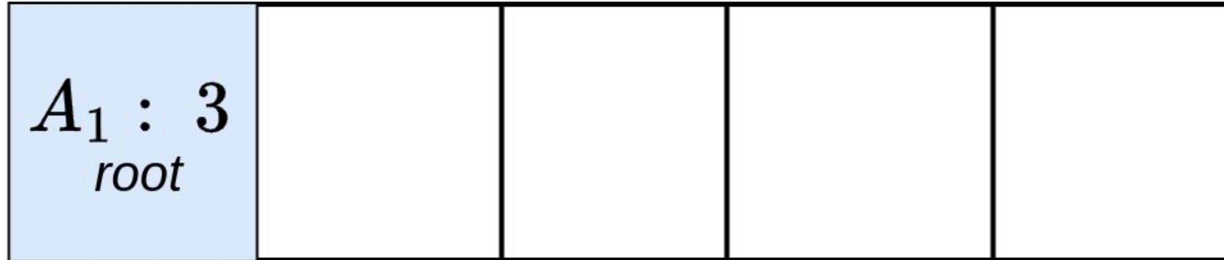
	A_1	B_1	B_2	C_1	D_1
$fn1$	1	1	0	1	0
$fn2$	1	0	1	1	1
$fn3$	1	1	0	1	1
$fn4$	0	1	0	1	0
	3	3	1		

Root

utilities at Root: $A_1 : 3, B_1 : 3, B_2 : 1; C_1, D_1$ pre-requisite not satisfied

Forklift Example: bootstrap the construction

CandidateQ:
A priority Queue



enqueue the highest utility package A_1 at Root to candidateQ

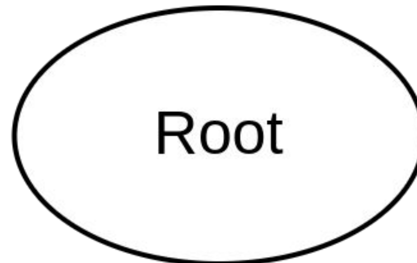
dependencies:

$D_1 \to A_1$

$C_1 \to B_1$

$or\ C_1 \to B_2$

	A_1	B_1	B_2	C_1	D_1
$fn1$	1	1	0	1	0
$fn2$	1	0	1	1	1
$fn3$	1	1	0	1	1
$fn4$	0	1	0	1	0



utilities at Root: $A_1 : 3, B_1 : 3, B_2 : 1; C_1, D_1$ pre-requisite not satisfied

step 1: add a child by popping the CandidateQ

CandidateQ:
A priority Queue

pop the A_1 at *Root*, then add A_1 to the child(*Node1*)

Dependencies:

$$D_1 \rightarrow A_1$$

$$C_1 \rightarrow B_1$$

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	A_1	B_1	B_2	C_1	D_1
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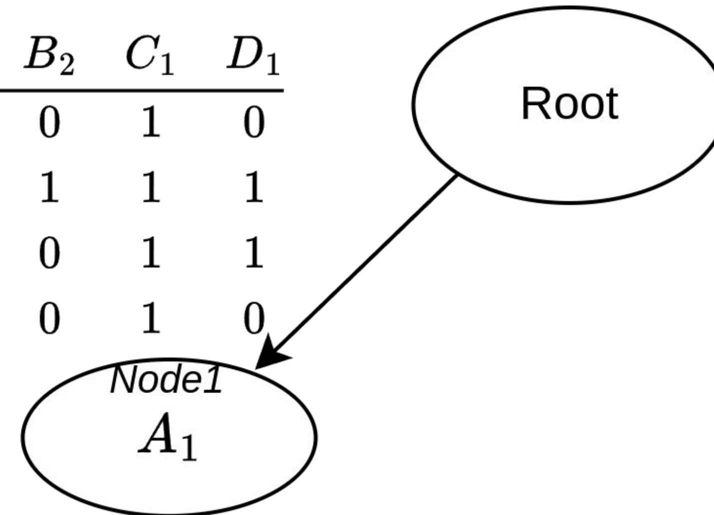

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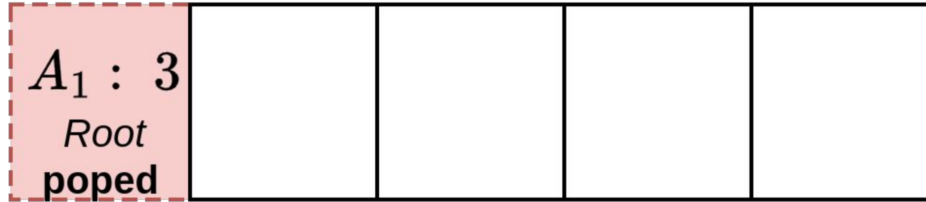

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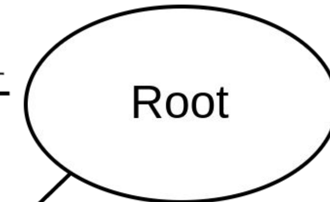
Dependencies:

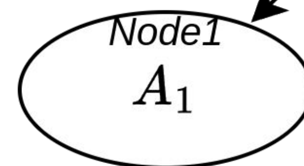
$$D_1 \rightarrow A_1$$

$$C_1 \rightarrow B_1$$

$$or\ C_1 \rightarrow B_2$$

	A_1	B_1	B_2	C_1	D_1
$fn4$	0	1	0	1	0





	A_1	B_1	B_2	C_1	D_1
$fn1$	1	1	0	1	0
$fn2$	1	0	1	1	1
$fn3$	1	1	0	1	1

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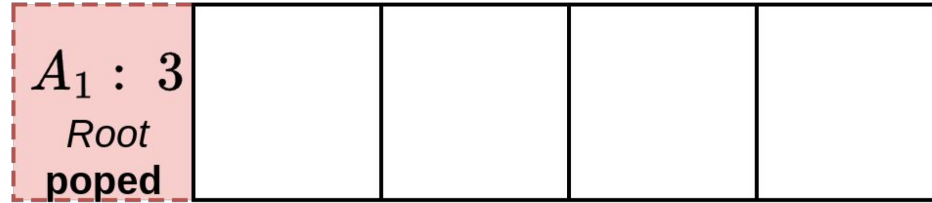

pop the A_1 at *Root*, then add A_1 to the child(*Node1*)

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	A_1	B_1	B_2	C_1	D_1
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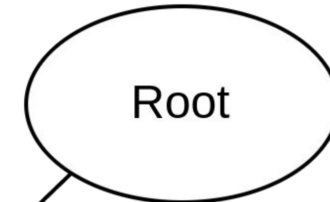
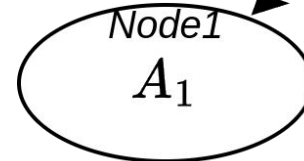


	A_1	B_1	B_2	C_1	D_1
$fn1$	$\not{1} \rightarrow 0$	1	0	1	0
$fn2$	$\not{1} \rightarrow 0$	0	1	1	1
$fn3$	$\not{1} \rightarrow 0$	1	0	1	1



step 2: Enqueue for next branching

CandidateQ:
A priority Queue

$B_1 : 2$ *Node1*	$B_1 : 1$ *Root*			

enqueue the highest utility packages at Root and *Node1* seperately to candidateQ

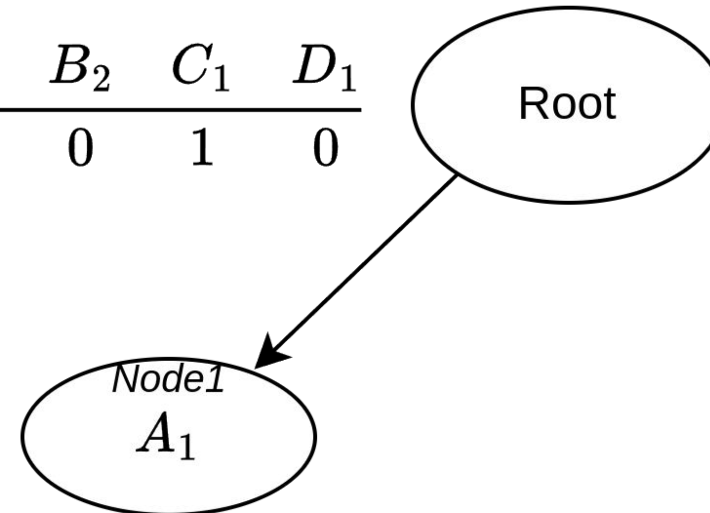
Dependencies:

$D_1 \rightarrow A_1$

$C_1 \rightarrow B_1$

$or\ C_1 \rightarrow B_2$

	A_1	B_1	B_2	C_1	D_1
$fn4$	0	1	0	1	0



	A_1	B_1	B_2	C_1	D_1
$fn1$	0	1	0	1	0
$fn2$	0	0	1	1	1
$fn3$	0	1	0	1	1

Do step 1(*add_child_node*)+2(*enqeue_top_child_candidate*) repeatedly ...

CandidateQ:
A priority Queue

$C_1 : 2$ Node2 **poped**	$B_1 : 1$ Root	$B_2 : 1$ Node1	$D_1 : 1$ Node3	

pop C_1 at *Node2*, then enqueue the highest utility pkgs at *Node2* and *Node3* seperately

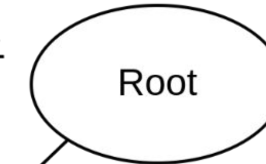
Dependencies:

$$D_1 \rightarrow A_1$$

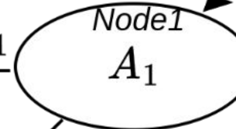
$$C_1 \rightarrow B_1$$

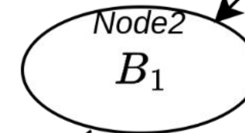
$$or\ C_1 \rightarrow B_2$$

	A_1	B_1	B_2	C_1	D_1
$fn4$	0	1	0	1	0

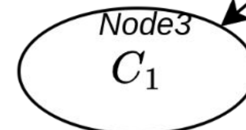


	A_1	B_1	B_2	C_1	D_1
$fn2$	0	0	1	1	1





	A_1	B_1	B_2	C_1	D_1
$fn1$	0	0	0	~~1~~ $\rightarrow 0$	0
$fn3$	0	0	0	~~1~~ $\rightarrow 0$	1



Eventually, the tree is ...

Depdencies:

$D_1 \to A_1$

$C_1 \to B_1$

or $C_1 \to B_2$

	A_1	B_1	B_2	C_1	D_1
$fn4$	0	0(1)	0	1	0

	A_1	B_1	B_2	C_1	D_1
$fn2$	0(1)	0	0(1)	1	1

	A_1	B_1	B_2	C_1	D_1
$fn1$	0(1)	0(1)	0	0(1)	0
$fn3$	0(1)	0(1)	0	0(1)	1

Optimizations

1. Replace 0/1 in the binary call matrix with weight values, e.g. import latency. → Time-based Weight

2. Python packages often have many dependencies
(e.g., pandas 2.2.3 requires 5 packages, Jupyter 1.0.0 requires 98 packages).
why not import **a package together with its dependencies** *(multiple packages)* in *one* node? → Multi-package (per node)

Multi-package Tree Example: bootstrap the construction

CandidateQ:

enqueue the highest utility packages at Root to candidateQ

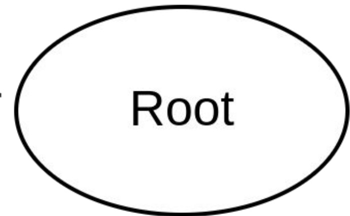
Depdencies:

$D_1 \rightarrow A_1$

$C_1 \rightarrow B_1$

$or\ C_1 \rightarrow B_2$

	A_1	B_1	B_2	C_1	D_1
$fn1$	1	1	0	1	0
$fn2$	1	0	1	1	1
$fn3$	1	1	0	1	1
$fn4$	0	1	0	1	0



$$\text{utility}(\text{package}) = \sum_{i \in \{\text{rows containing } \{\text{package+dependencies}\}\}} M[i, \{\text{package} + \text{dependencies}\}]$$

Multi-package Tree Example: bootstrap the construction

CandidateQ:

$C_1, B_1 : 6$ *root*				

enqueue the highest utility packages at Root to candidateQ

Depdencies:

$$D_1 \rightarrow A_1$$

$$C_1 \rightarrow B_1$$

$$or\ C_1 \rightarrow B_2$$

	A_1	B_1	B_2	C_1	D_1
$fn1$	1	1	0	1	0
$fn2$	1	0	1	1	1
$fn3$	1	1	0	1	1
$fn4$	0	1	0	1	0

Root

$$\text{utility}(\text{package}) = \sum_{i \in \{\text{rows containing } \{\text{package+dependencies}\}\}} M[i, \{\text{package} + \text{dependencies}\}]$$

$$\text{utility}(C_1) = \sum_{i \in \{\text{rows containing } \{C_1 + B_1\}\}} M[i, \{C_1 + B_1\}]$$

$$\text{utility}(C_1) = \sum M[\{fn1, fn3, fn4\}, \{C_1 + B_1\}]$$

step 1: add a child by popping the CandidateQ

CandidateQ:

$C_1, B_1 : 6$ *root* **poped**				

pop the B_1, C_1 at *Root*, then add them to the child(*Node1*)

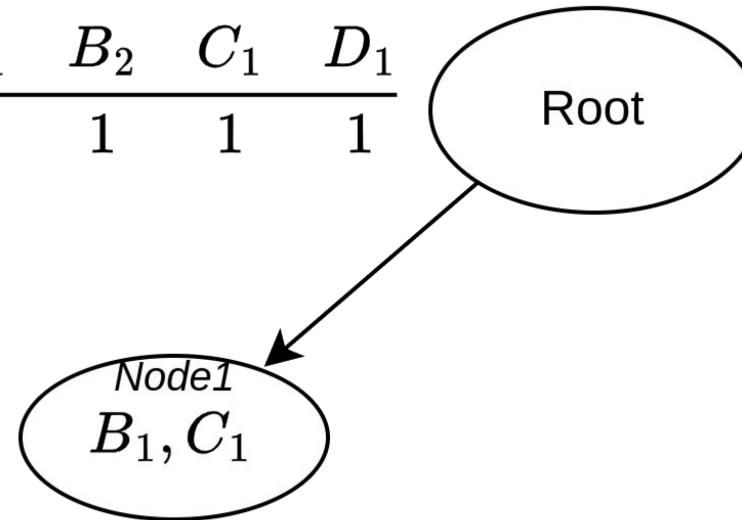
Depdencies:

$D_1 \rightarrow A_1$

$C_1 \rightarrow B_1$

$or\ C_1 \rightarrow B_2$

	A_1	B_1	B_2	C_1	D_1
$fn2$	1	0	1	1	1



	A_1	B_1	B_2	C_1	D_1
$fn1$	1	$\not{1} \rightarrow 0$	0	$\not{1} \rightarrow 0$	0
$fn3$	1	$\not{1} \rightarrow 0$	0	$\not{1} \rightarrow 0$	1
$fn4$	0	$\not{1} \rightarrow 0$	0	$\not{1} \rightarrow 0$	0

step 2: Enqueue for next branching

CandidateQ:

$C_1, B_2 : 2$ *root*	$A_1 : 2$ *Node1*			

enqueue the highest utility packages at Root and *Node1* seperately to candidateQ

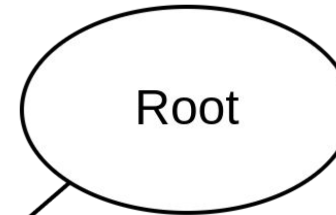
Depdencies:

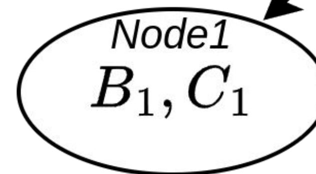
$$D_1 \rightarrow A_1$$

$$C_1 \rightarrow B_1$$

$$or\ C_1 \rightarrow B_2$$

	A_1	B_1	B_2	C_1	D_1
$fn2$	1	0	1	1	1





	A_1	B_1	B_2	C_1	D_1
$fn1$	1	0	0	0	0
$fn3$	1	0	0	0	1
$fn4$	0	0	0	0	0

Eventually, the tree is ...

Packages required by each function are satisfied.

Depdencies:

$$D_1 \rightarrow A_1$$

$$C_1 \rightarrow B_1$$

$$or\ C_1 \rightarrow B_2$$

	A_1	B_1	B_2	C_1	D_1
$fn4$	0	0(1)	0	0(1)	0

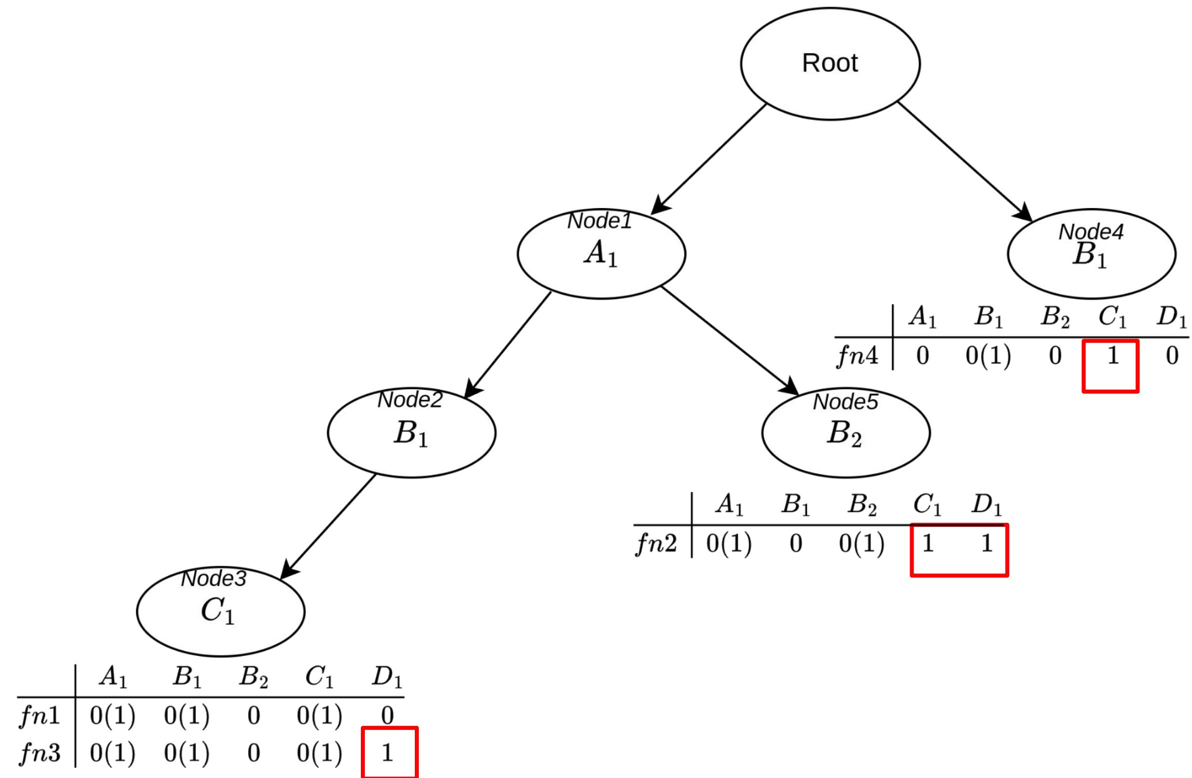
	A_1	B_1	B_2	C_1	D_1
$fn1$	0(1)	0(1)	0	0(1)	0

	A_1	B_1	B_2	C_1	D_1
$fn3$	0(1)	0(1)	0	0(1)	0(1)

	A_1	B_1	B_2	C_1	D_1
$fn2$	0(1)	0	0(1)	0(1)	0(1)

Comparison

single-package



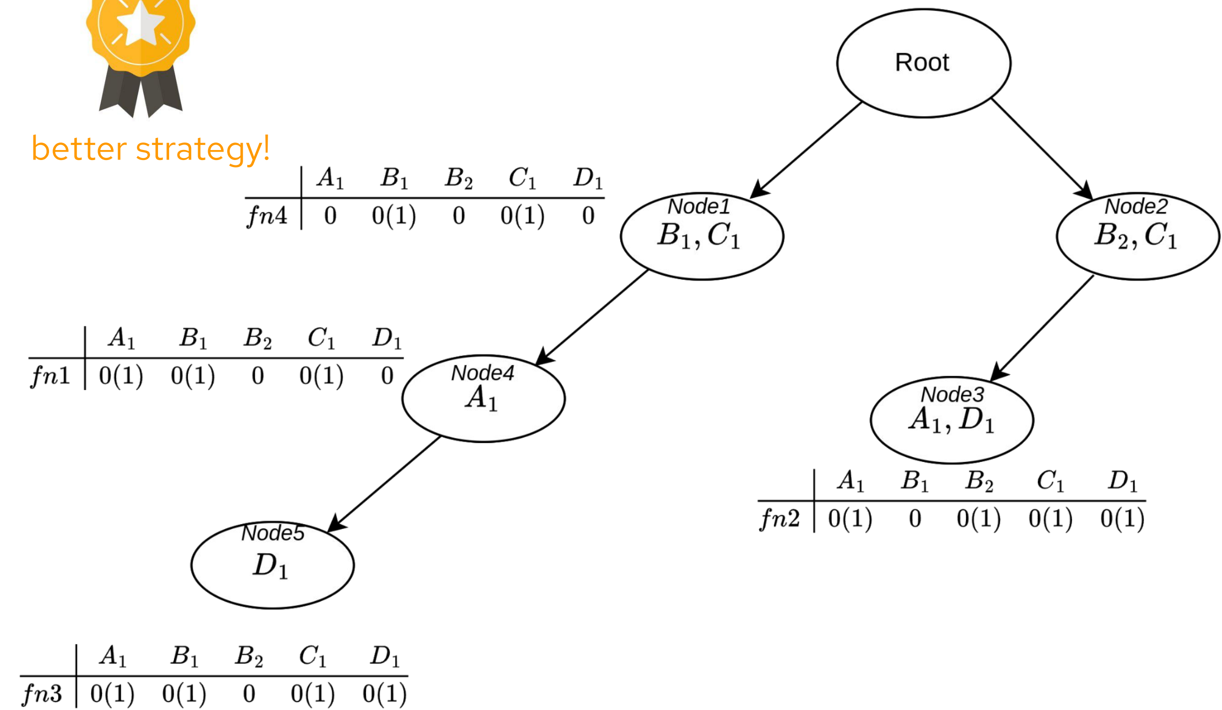
	A_1	B_1	B_2	C_1	D_1
$fn4$	0	0(1)	0	1	0

	A_1	B_1	B_2	C_1	D_1
$fn2$	0(1)	0	0(1)	1	1

	A_1	B_1	B_2	C_1	D_1
$fn1$	0(1)	0(1)	0	0(1)	0
$fn3$	0(1)	0(1)	0	0(1)	1

multi-package

better strategy!



	A_1	B_1	B_2	C_1	D_1
$fn4$	0	0(1)	0	0(1)	0

	A_1	B_1	B_2	C_1	D_1
$fn1$	0(1)	0(1)	0	0(1)	0

	A_1	B_1	B_2	C_1	D_1
$fn2$	0(1)	0	0(1)	0(1)	0(1)

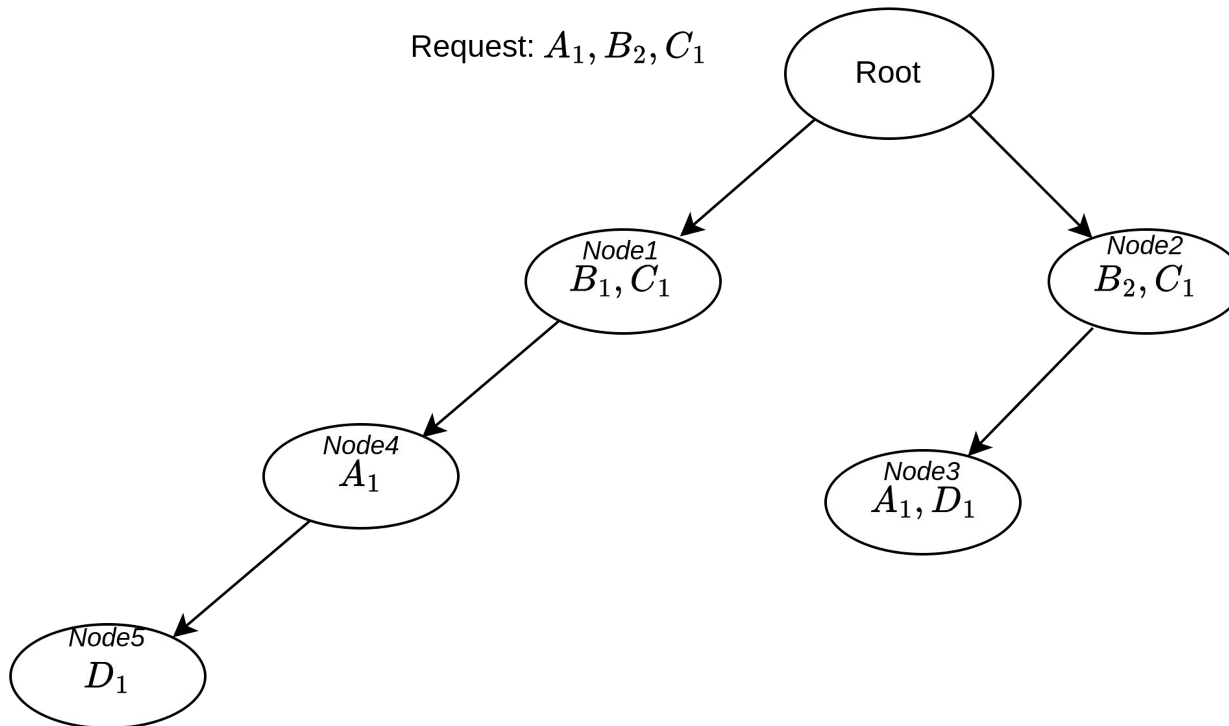
	A_1	B_1	B_2	C_1	D_1
$fn3$	0(1)	0(1)	0	0(1)	0(1)

Packages required by each function are satisfied.

Deployment in OpenLambda

We choose to deploy in OpenLambda as it is based on SOCK container that supports ***sandbox-level fork***.

When a request arrives, do a **DFS** search in the tree and first non-root node is selected to serve the requests.



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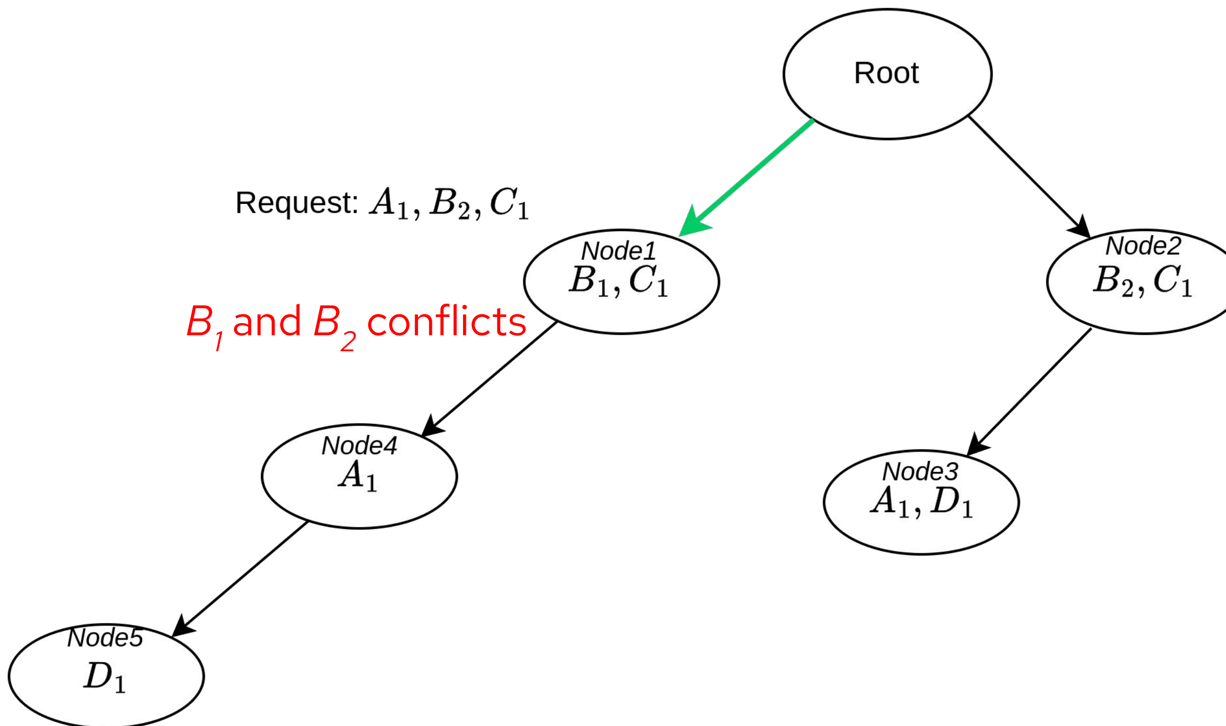

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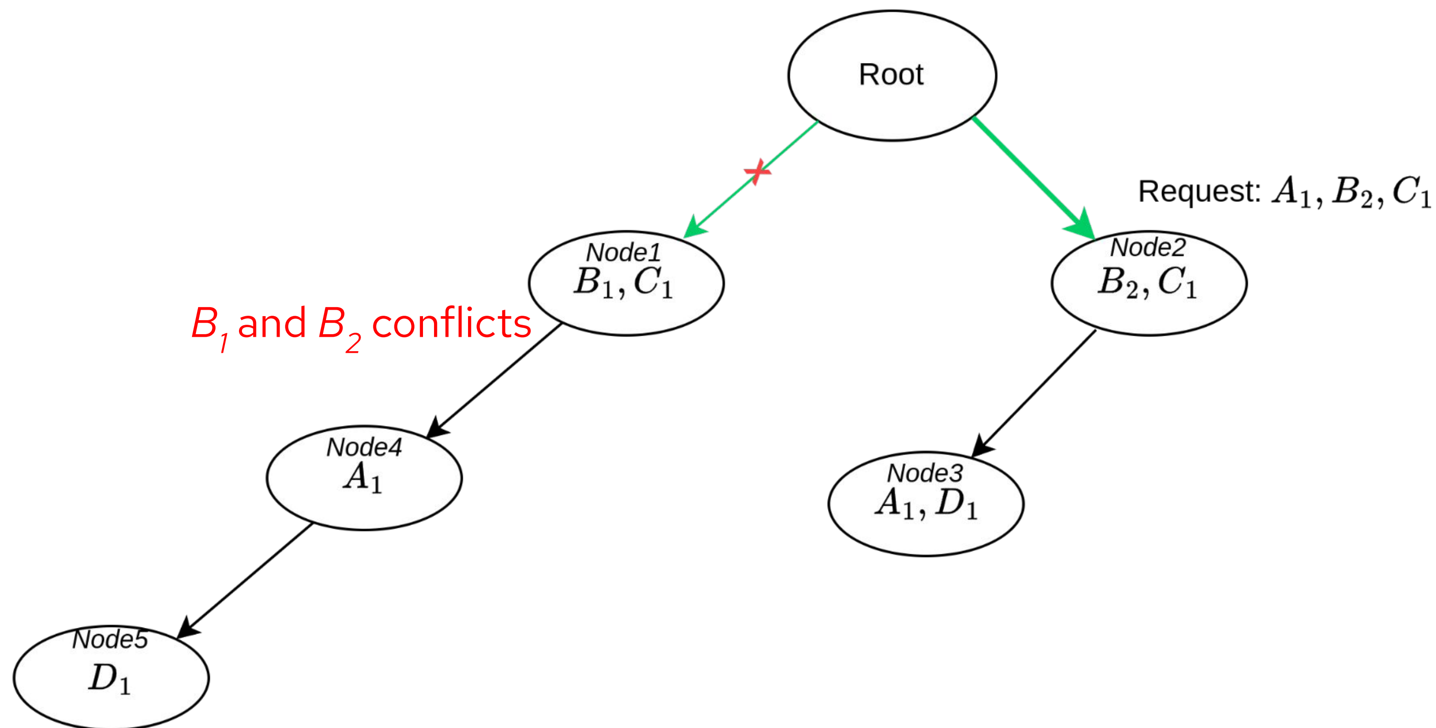

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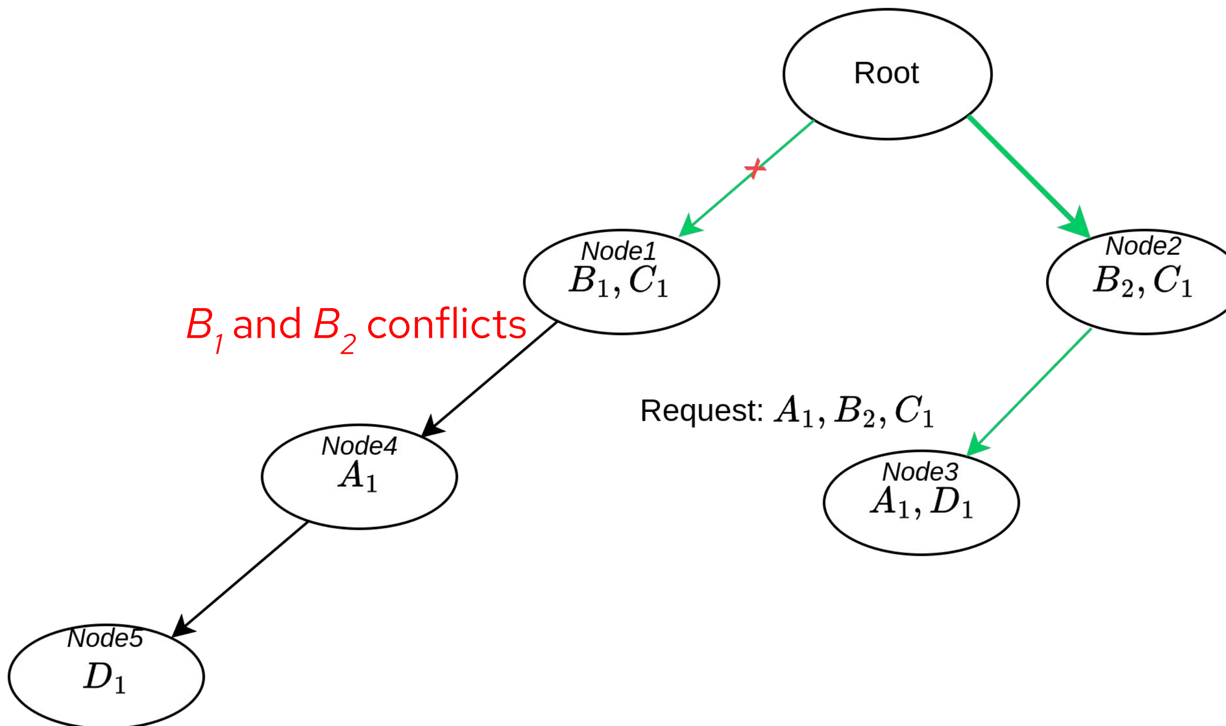
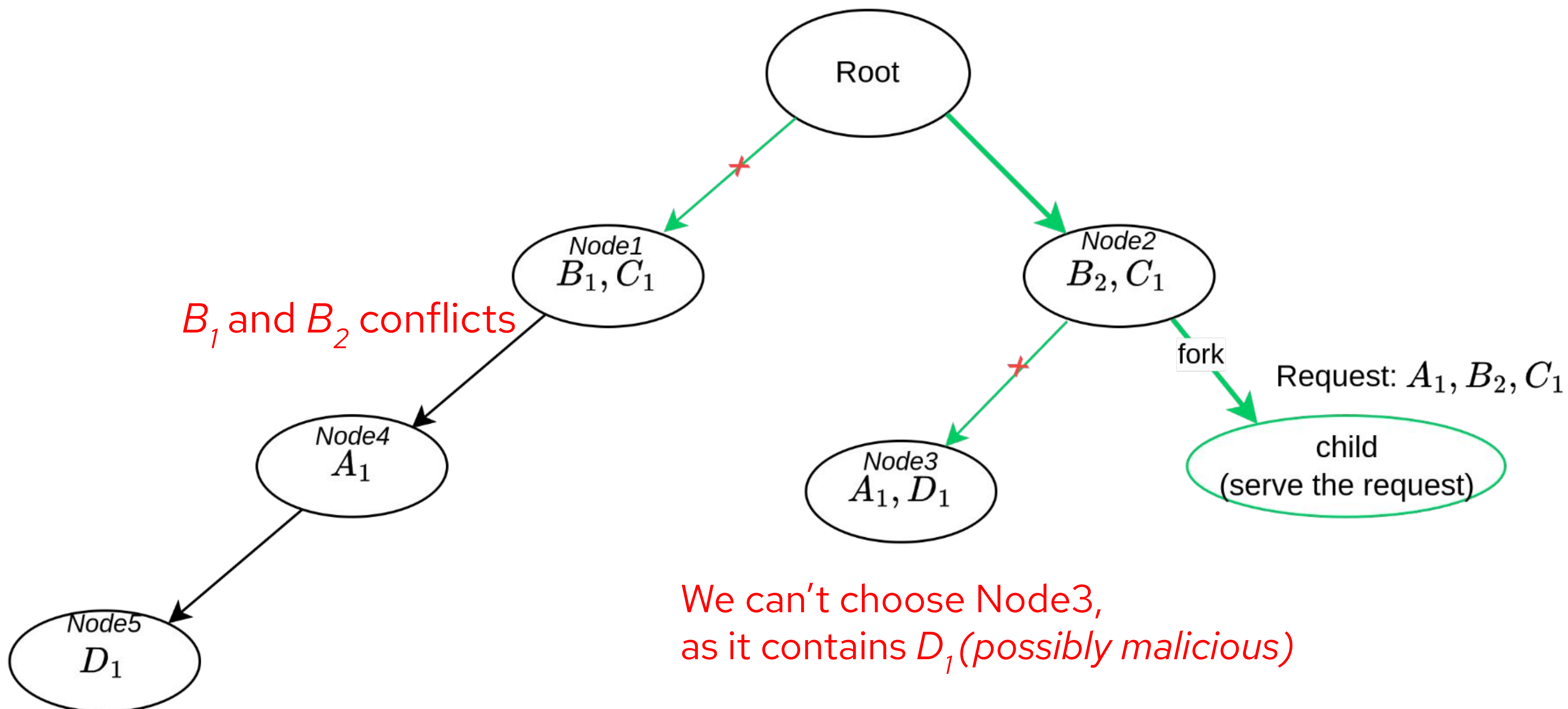


Deployment in OpenLambda

We choose to deploy in OpenLambda as it is based on SOCK container that supports ***sandbox-level fork***.

When a requests comes in, do a **DFS** search in the tree and first non-root node is selected to serve the requests.



4. Evaluation

> Memory usage vs throughput, latency CDF

> Warmup time, package hit rate

Evaluation Overview

The call trace includes 1793 unique invocations.

Train trace:Test trace=50:50

Forklift is run on the train trace,

play the test trace on OpenLambda with 5 threads.

We construct & test trees of varying sizes using **four variants** of the Forklift algorithm, they are:

{Uniform Weight, Time-based Weight} × {Single-package, Multi-package}

weight policies — *single-package per node?*

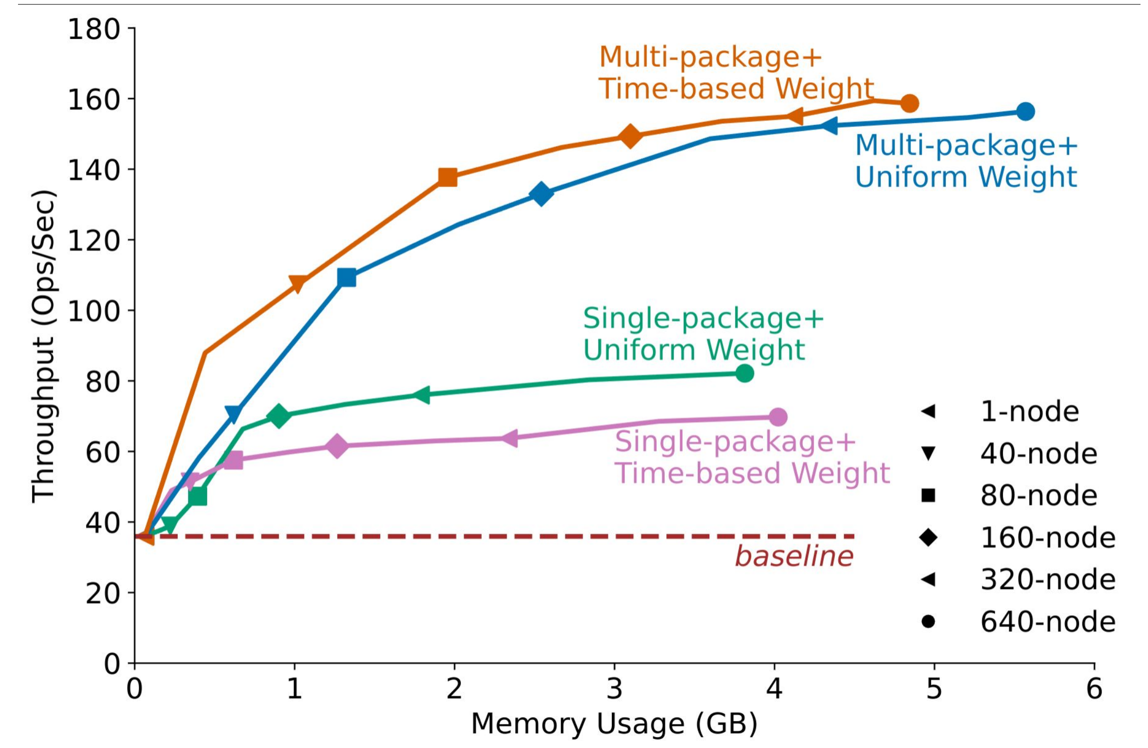
Memory Usage vs Throughput

Finding 1:

Multi-package optimization is crucial.

Finding 2:

Weighting packages by import latency benefits smaller trees significantly, but not for larger trees.



Latency CDF

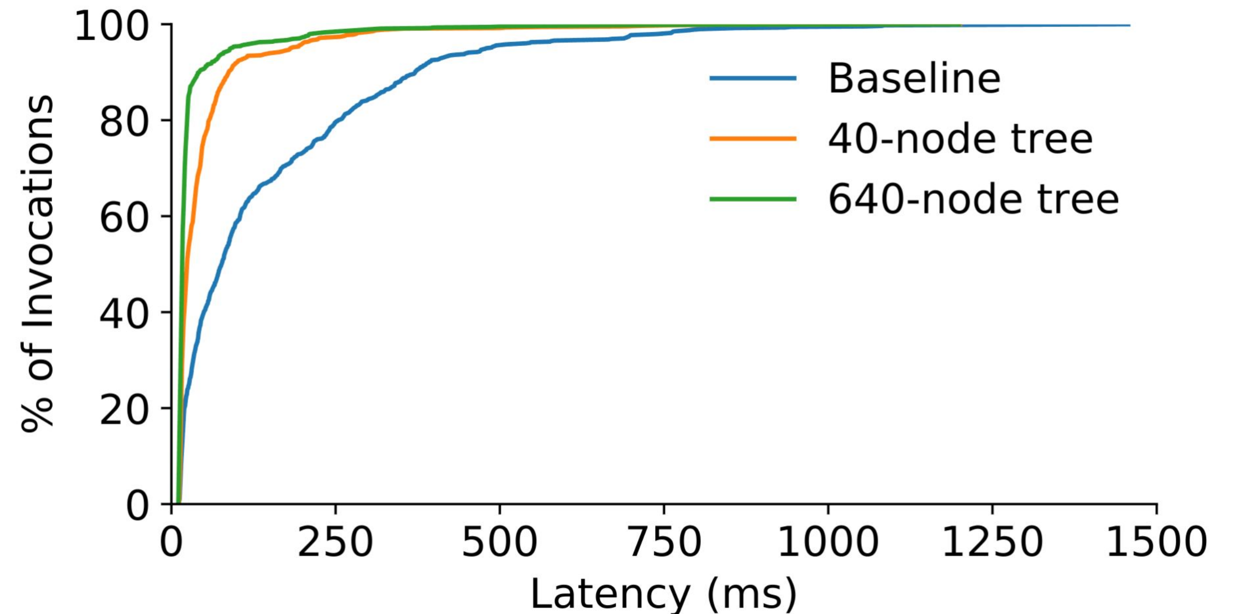
latency of different size trees under multi-package time-based weight strategy:

Median Speedup:

- 40-node(small) trees: **3.2× faster**
- 640-node(large) trees: **4.8× faster**

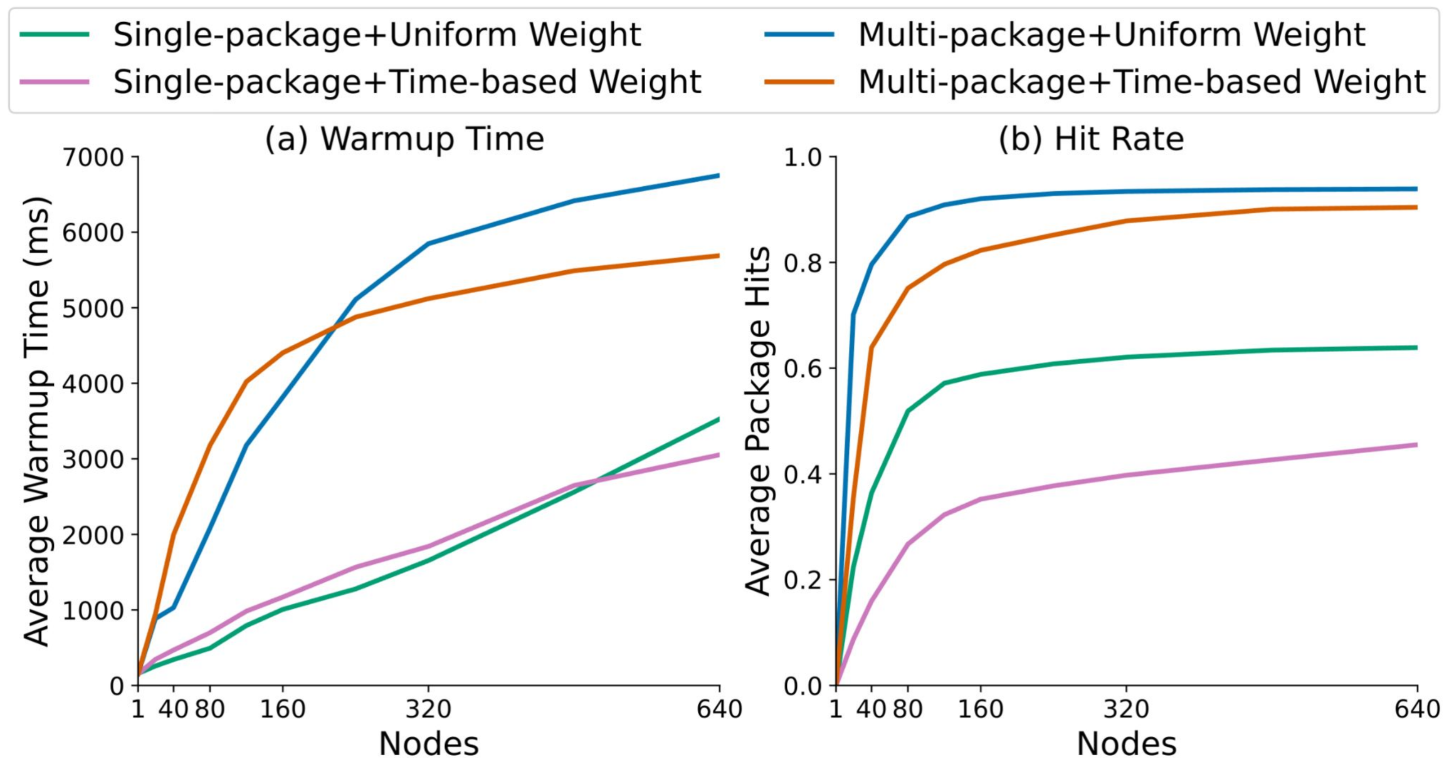
95th Percentile Speedup:

- 40-node trees: **2.7× faster**
- 640-node trees: **5.3× faster**



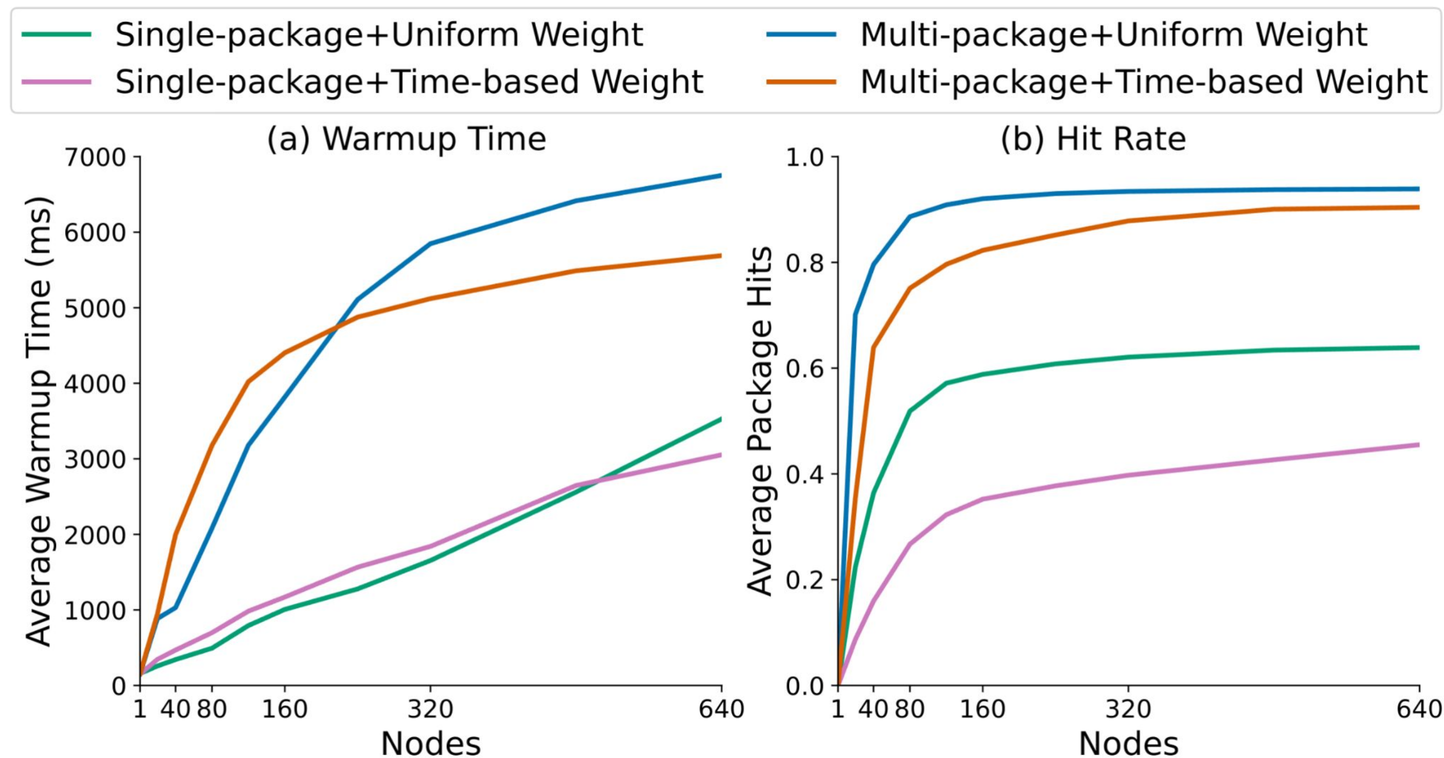
Warmup Time and Hit Rate

Concurrently create the zygote processes with six threads during warmup.
Package hit: packages required by functions provided by zygotes are hits



Warmup Time and Hit Rate

All zygotes can be created in less than 7 seconds, even for large trees
The multi-package, uniform-weighted tree has the best hit rates (over 90%)



Conclusion

> Forklift, a new algorithm for constructing hierarchical zygote trees

> Achieves ~5× faster invocation latency on OpenLambda

open-source at:
https://github.com/open-lambda/forklift
https://github.com/open-lambda/ReqBench

Contact

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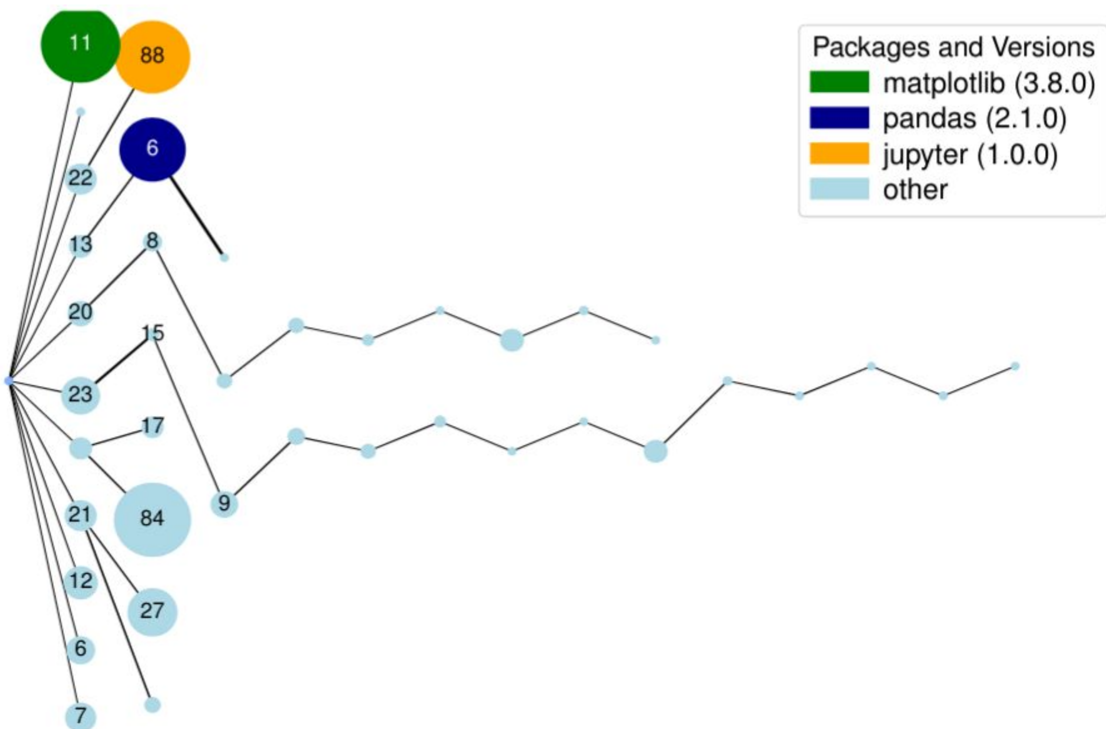
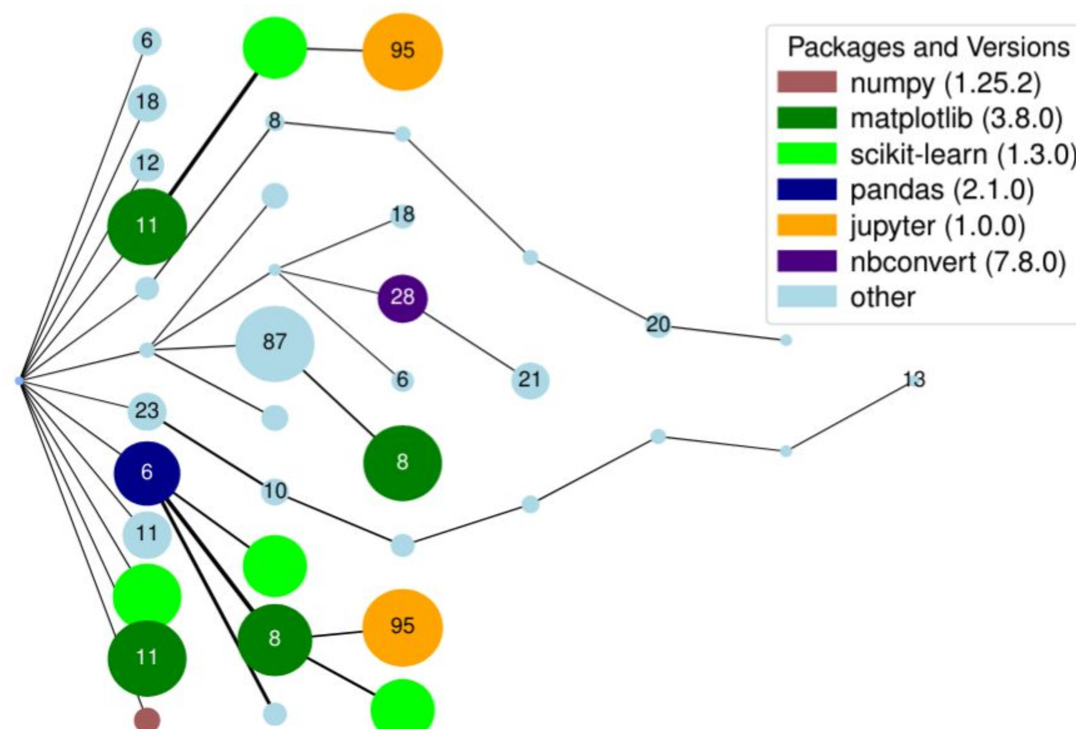
Feel free to drop an email if you have questions!

I am seeking for Ph.D. or funded M.S. positions worldwide starting 2025 Fall.

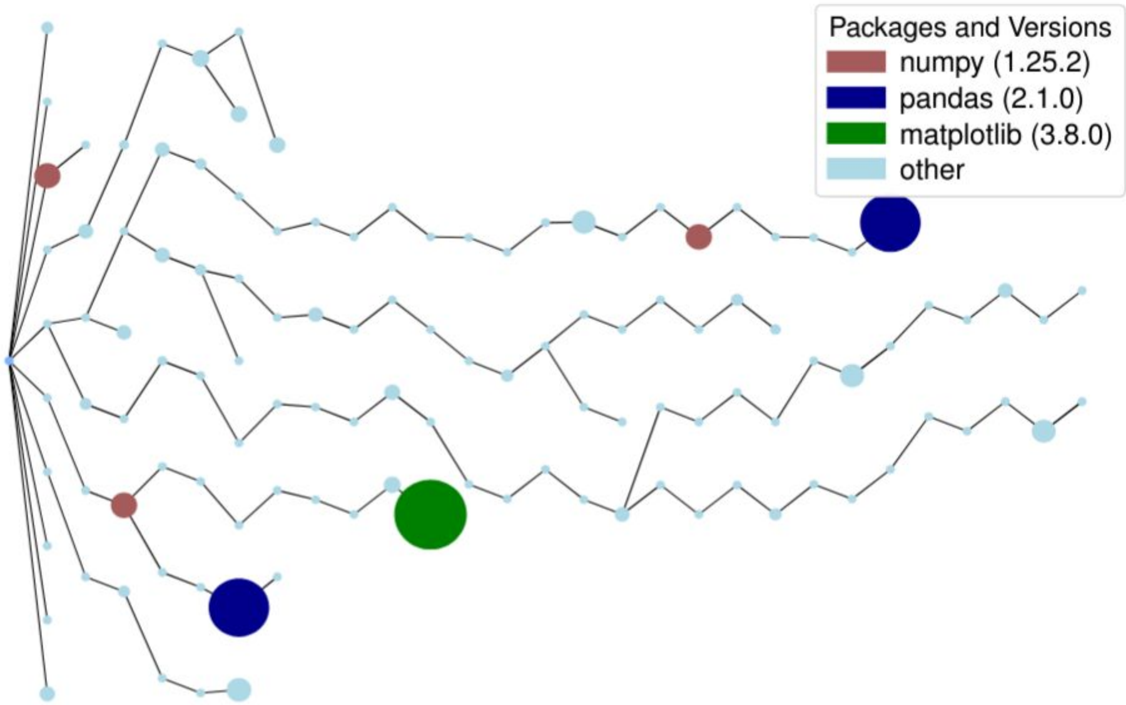




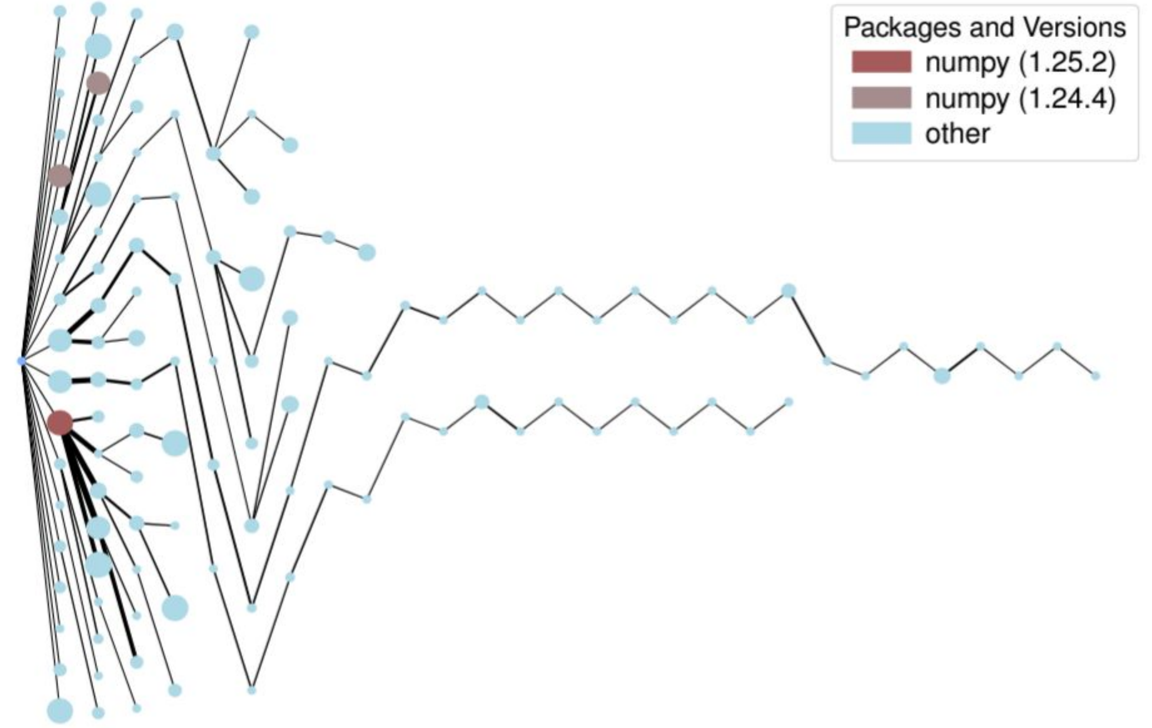
Multi-package, Uniform Weight 40-node tree

Multi-package, Time-based Weight 40-node tree

Note: Node numbers in nodes represent module imports, with only values above 5 shown.



Single-package, Uniform Weight 120-node tree



Single-package, Time-based Weight 120-node tree

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